

ID3 Decision Tree Class Activity

CS 450

The Dataset

Consider the following dataset from a bank loan scenario. The target value, or label, or class, that we are trying to predict is the “Should Loan” column.

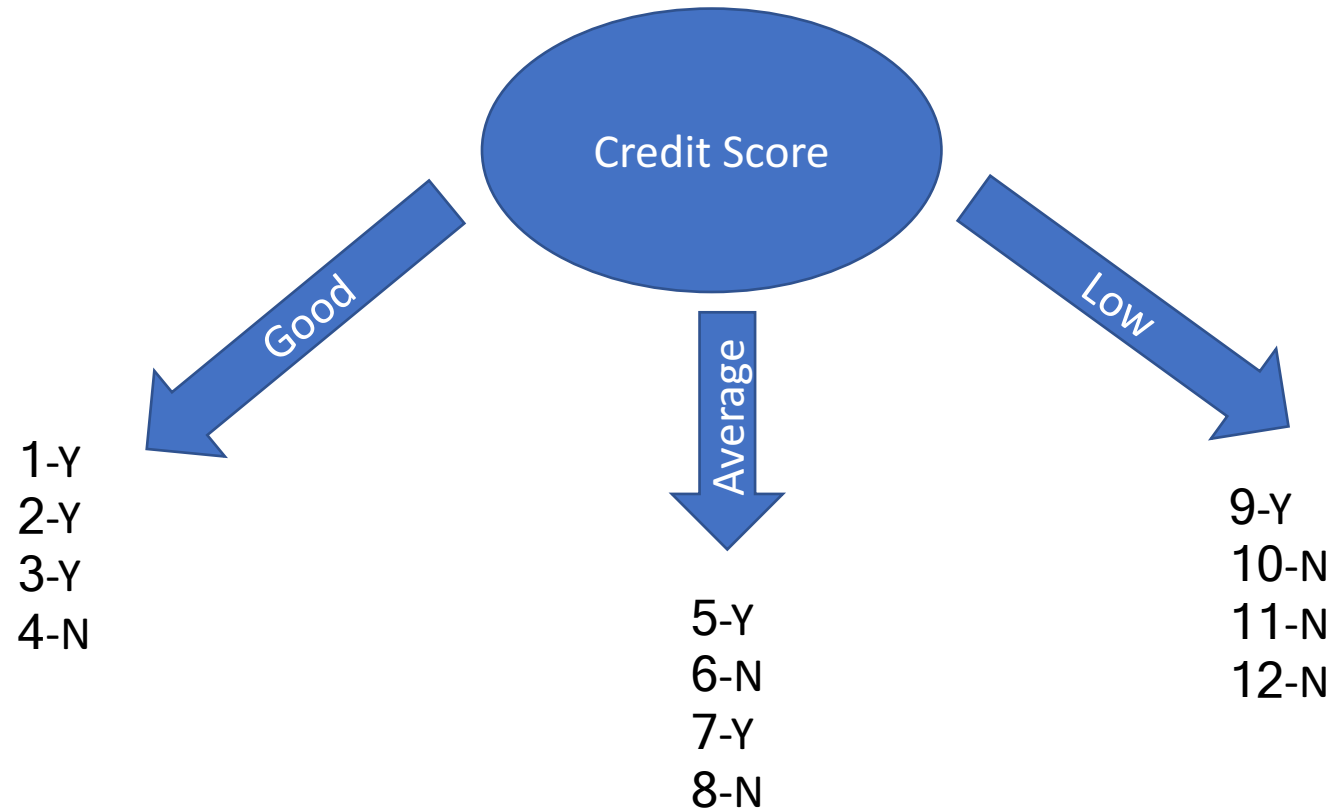
As a team, follow the process of the ID3 algorithm to induce a decision tree from this training data.

Row #	Credit Score	Income	Collateral	Should Loan
1	Good	High	Good	Yes
2	Good	High	Poor	Yes
3	Good	Low	Good	Yes
4	Good	Low	Poor	No
5	Average	High	Good	Yes
6	Average	Low	Poor	No
7	Average	High	Poor	Yes
8	Average	Low	Good	No
9	Low	High	Good	Yes
10	Low	High	Poor	No
11	Low	Low	Good	No
12	Low	Low	Poor	No

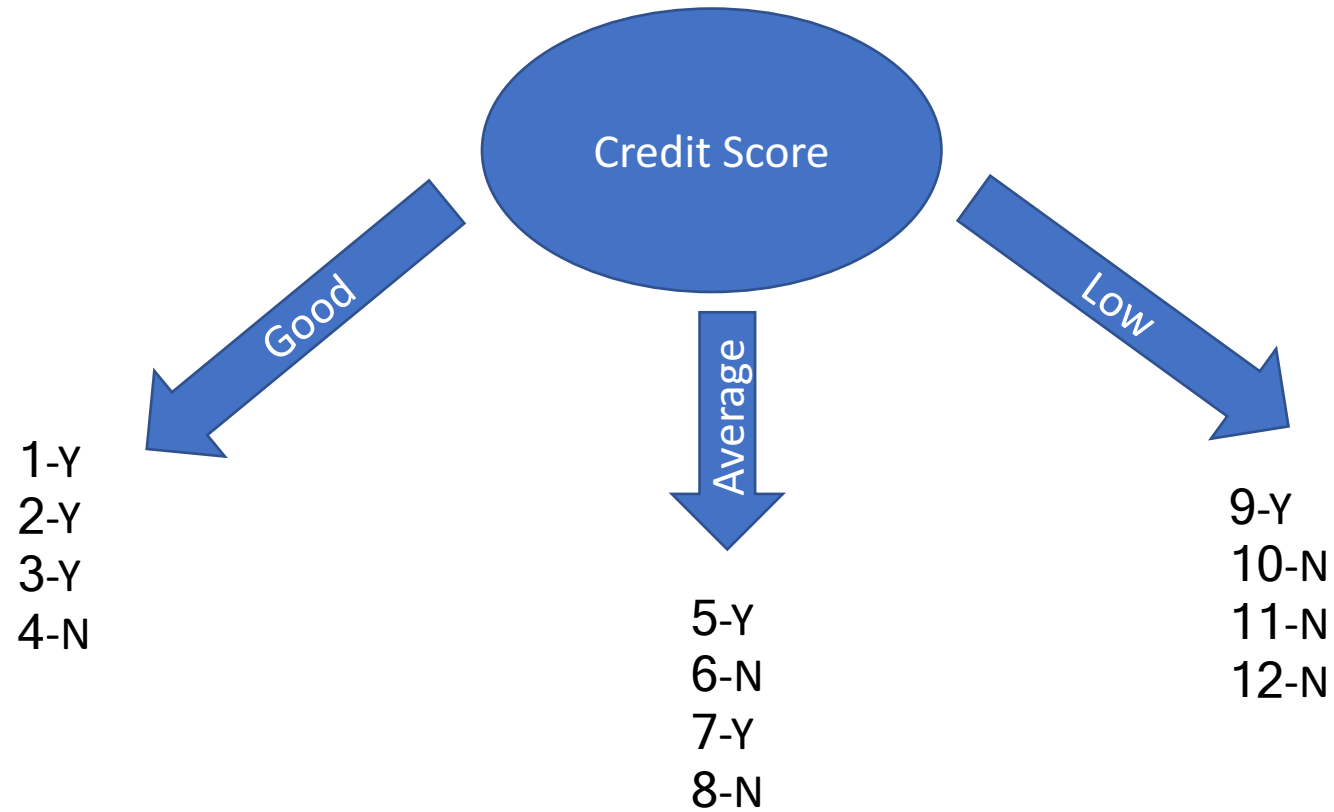
Choosing a Root Node

- Step 1 – Determine which attribute should be the root node.
 - This is done by trying each one, and seeing what the resulting split would look like. Calculate the entropy for each split, and then choose the attribute that results in the lowest entropy.
- As a team, work through this problem, then compare your answers with those on the following page.

Option 1 – Credit Score



Option 1 – Credit Score

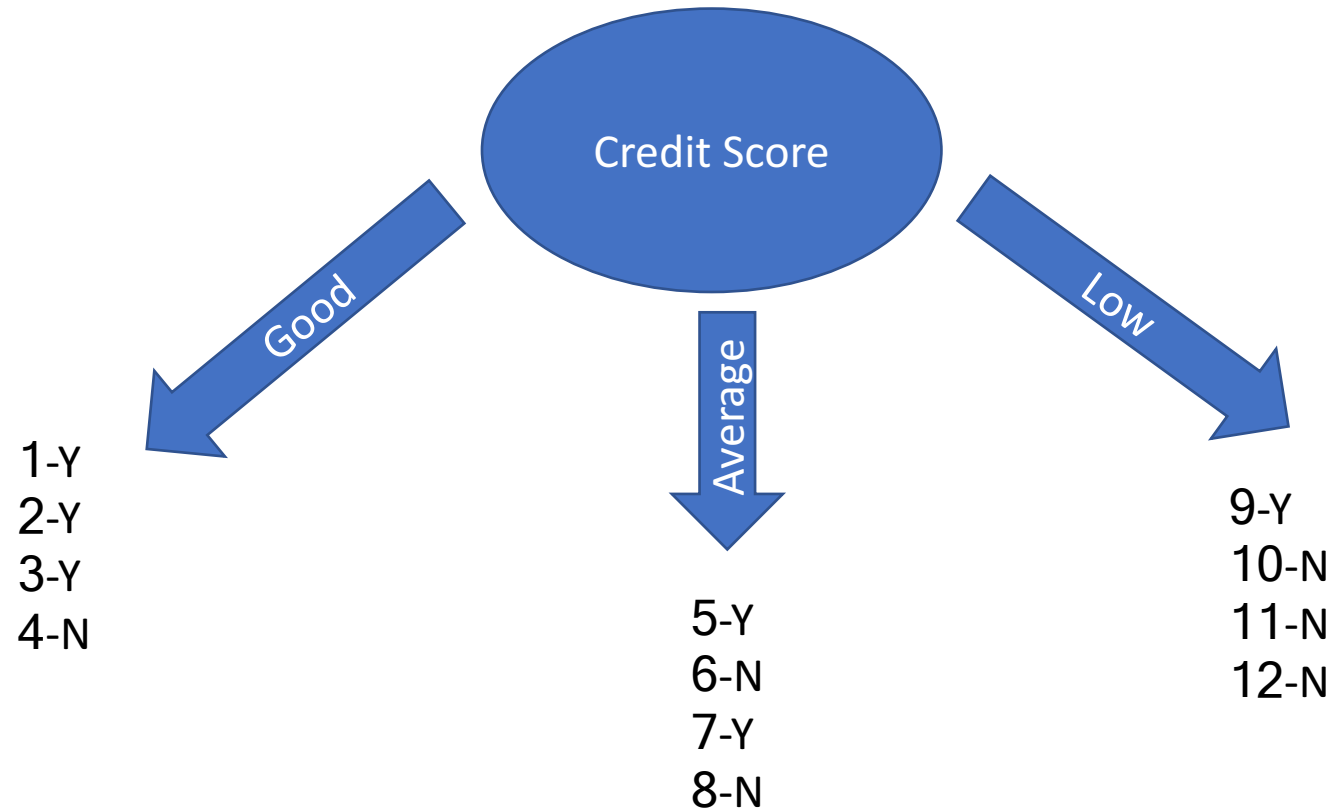


Entropy of "Good" Branch

$$E_{\text{good}} = -(3/4) * \text{math.log}_2(3/4) - (1/4) * \text{math.log}_2(1/4)$$

$$E_{\text{good}} = 0.811$$

Option 1 – Credit Score

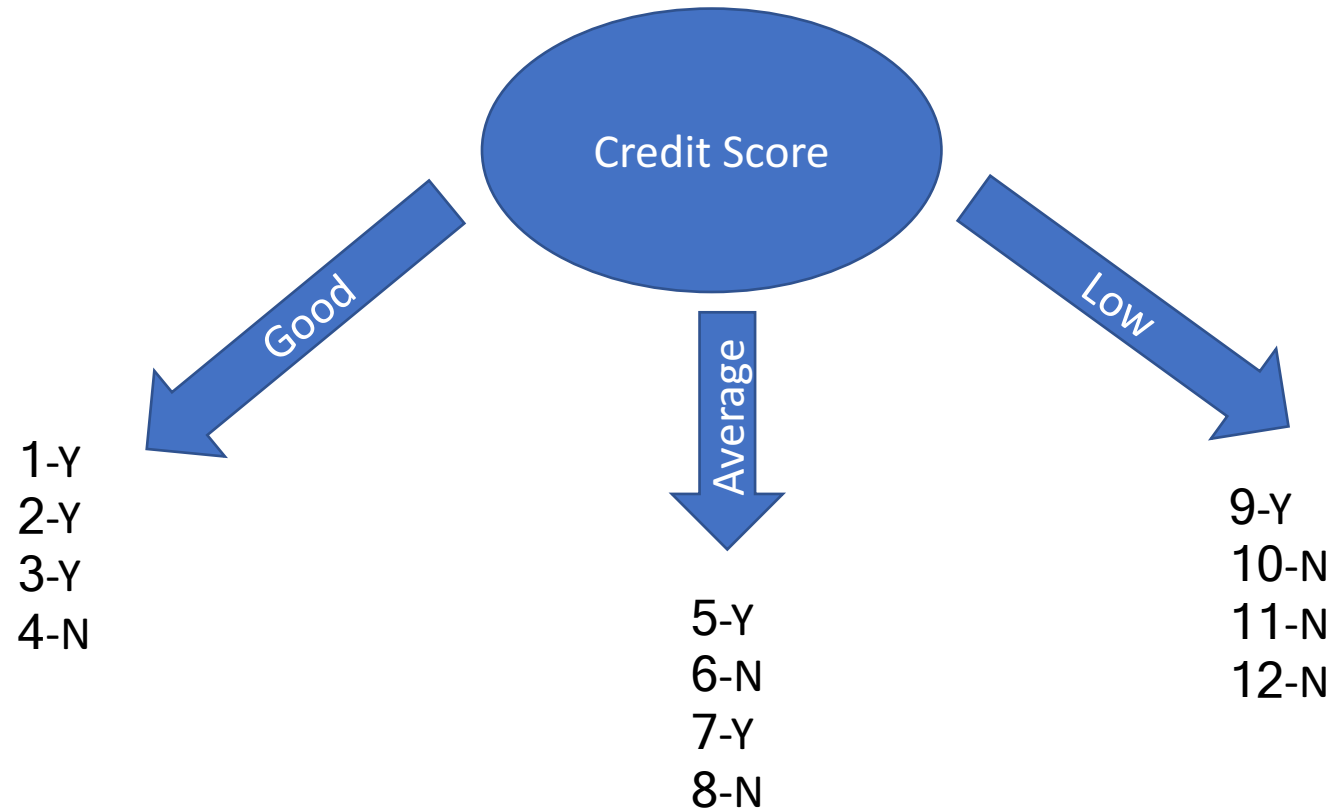


Entropy of "Average" Branch

$$E_{\text{average}} = -(2/4) * \text{math.log}_2(2/4) - (2/4) * \text{math.log}_2(2/4)$$

$$E_{\text{average}} = 1.0$$

Option 1 – Credit Score

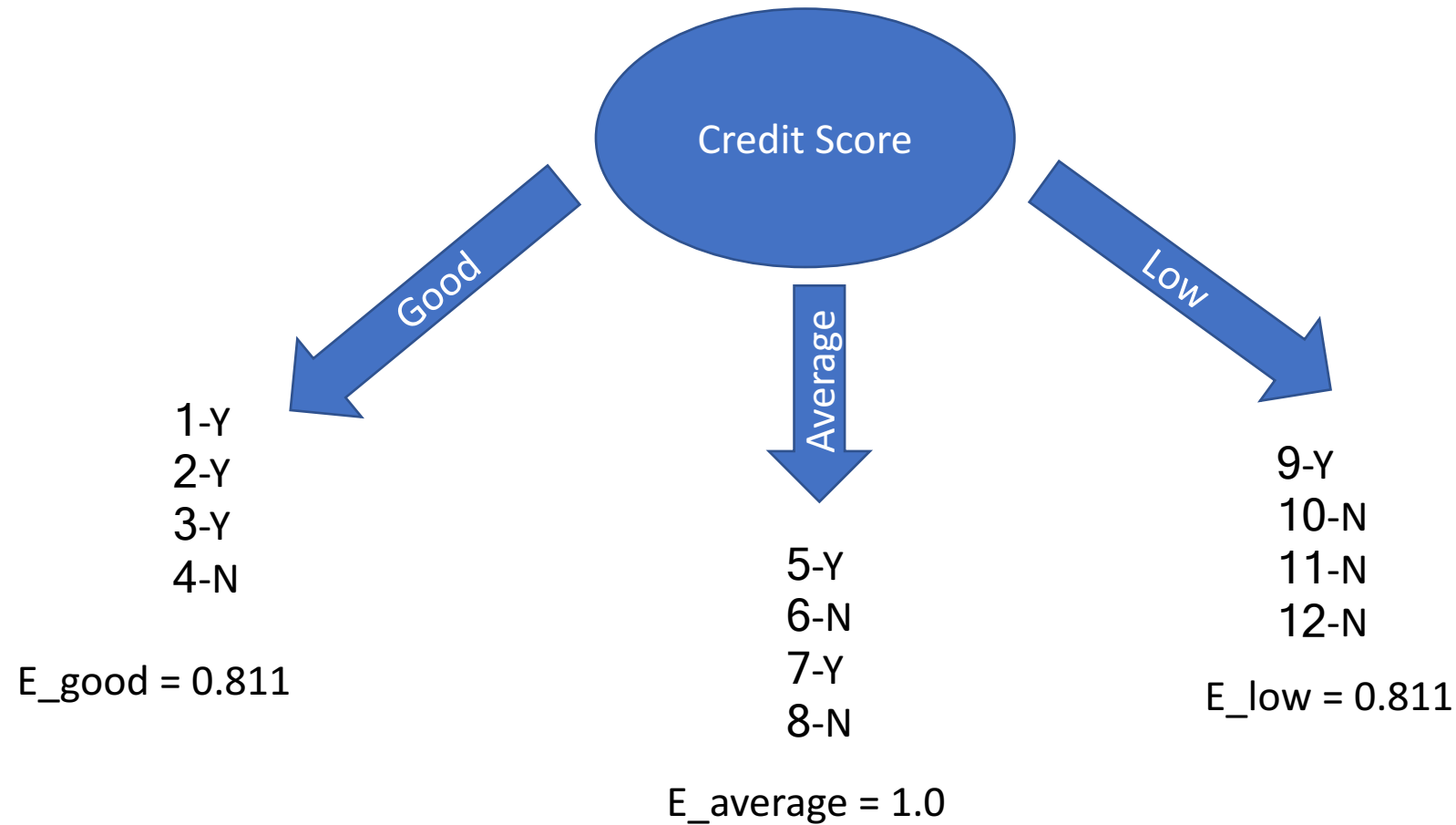


Entropy of "Low" Branch

$$E_{\text{low}} = -(1/4) * \text{math.log2}(1/4) - (3/4) * \text{math.log2}(3/4)$$

$$E_{\text{low}} = 0.811$$

Option 1 – Credit Score

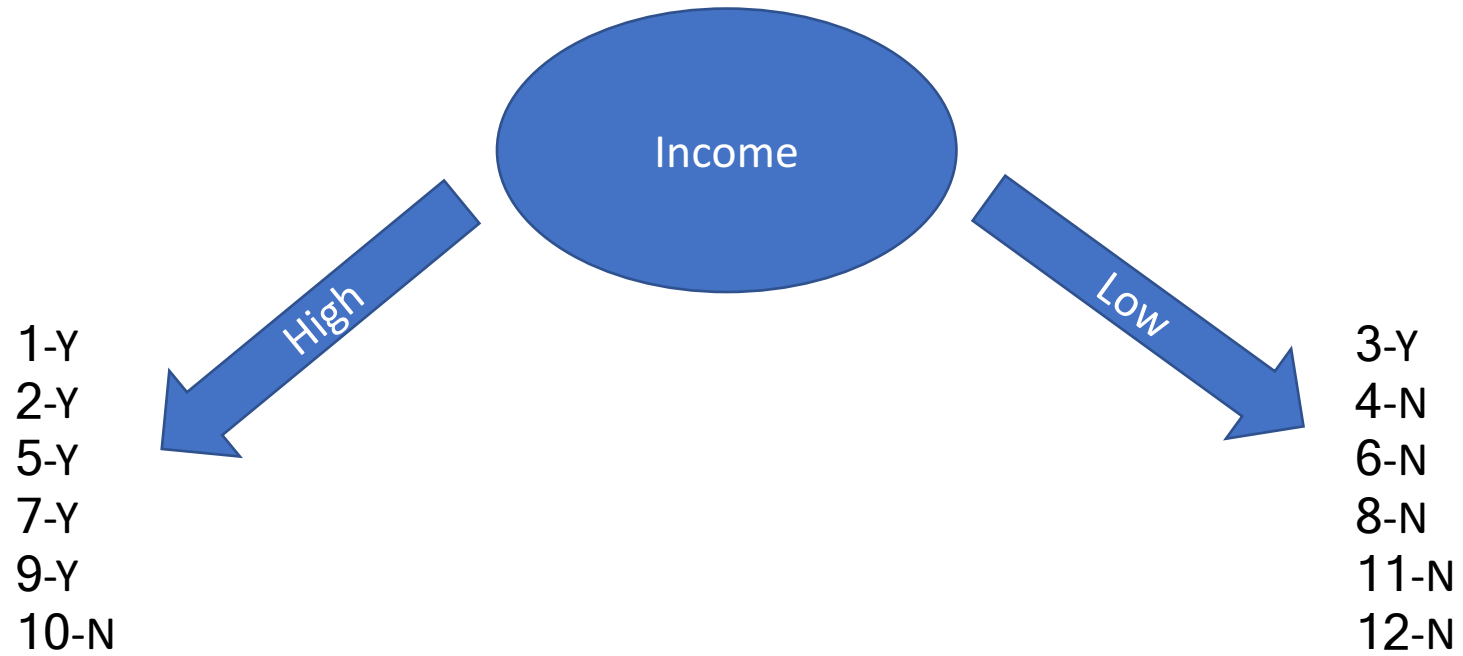


Now we compute the weighted average

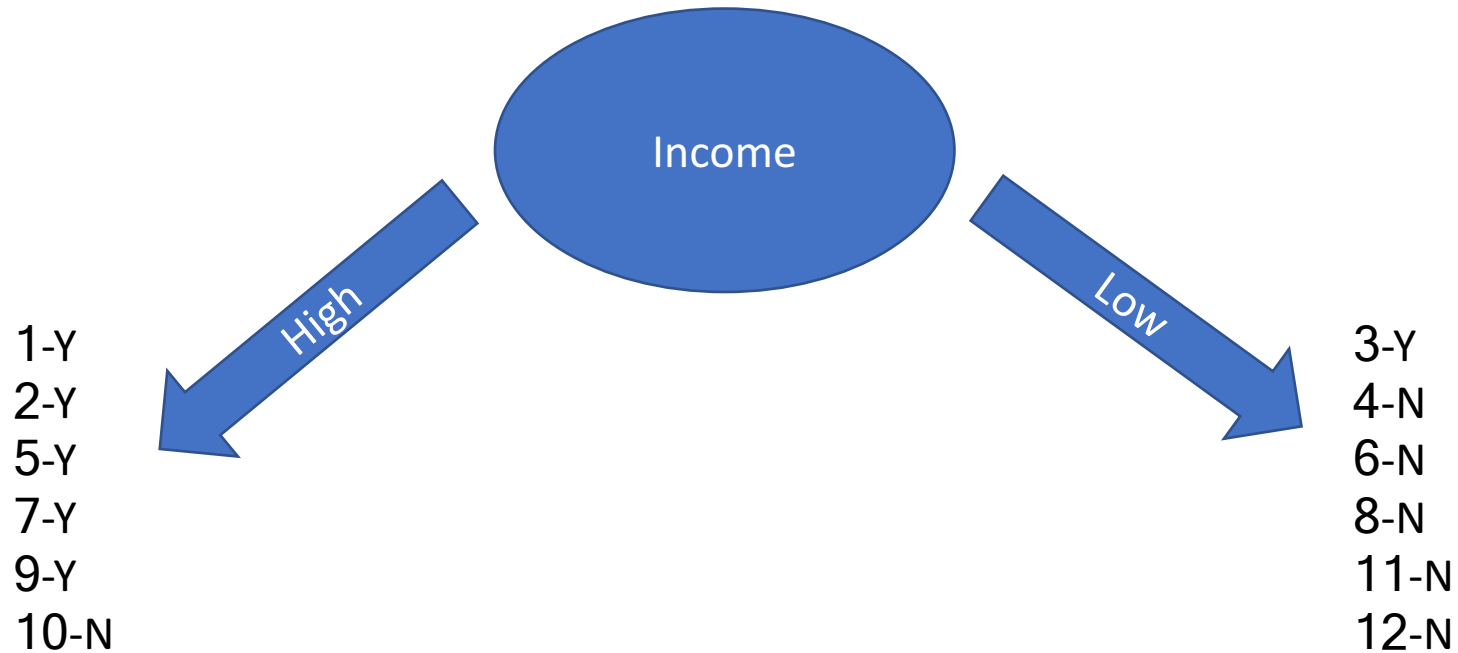
$$E_{\text{creditScore}} = (4/12) * 0.811 + (4/12) * 1.0 + (4/12) * 0.811$$

$$E_{\text{creditScore}} = 0.874$$

Option 2 - Income



Option 2 - Income

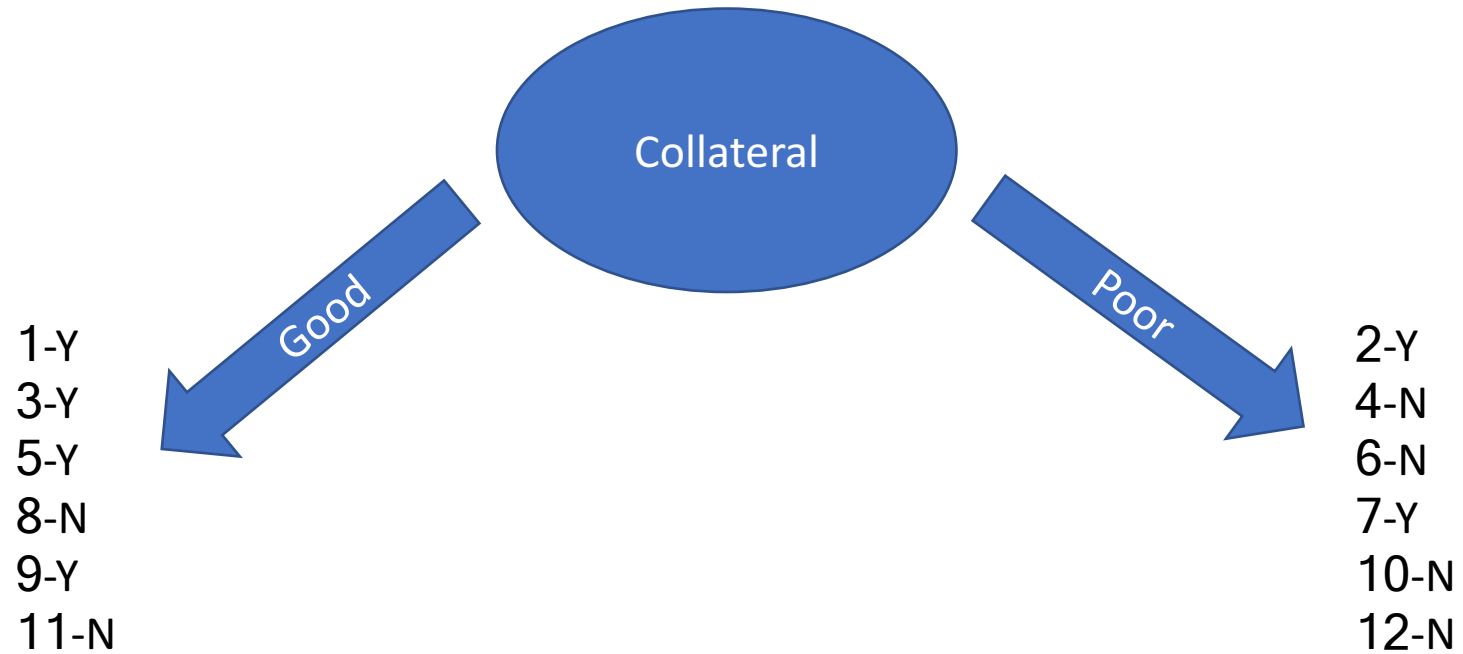


$$E_{\text{high}} = -(5/6) * \text{math.log2}(5/6) - (1/6) * \text{math.log2}(1/6)$$
$$E_{\text{high}} = 0.650$$

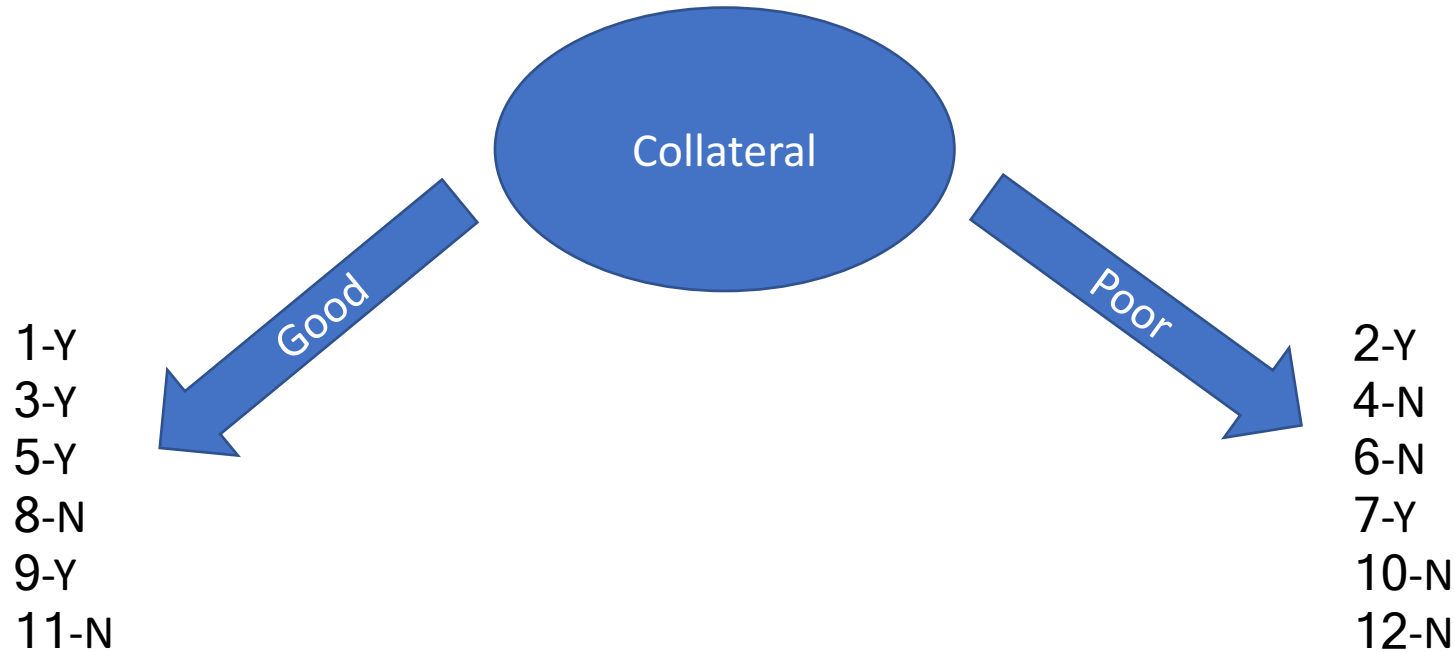
$$E_{\text{low}} = -(1/6) * \text{math.log2}(1/6) - (5/6) * \text{math.log2}(5/6)$$
$$E_{\text{low}} = 0.650$$

$$E_{\text{income}} = (6/12) * 0.650 + (6/12) * 0.650$$
$$E_{\text{income}} = 0.650$$

Option 3 - Collateral



Option 3 - Collateral



$$E_{\text{good}} = -(4/6) * \text{math.log2}(4/6) - (2/6) * \text{math.log2}(2/6)$$
$$E_{\text{good}} = 0.918$$

$$E_{\text{poor}} = -(2/6) * \text{math.log2}(2/6) - (4/6) * \text{math.log2}(4/6)$$
$$E_{\text{poor}} = 0.918$$

$$E_{\text{collateral}} = (6/12) * 0.918 + (6/12) * 0.918$$
$$E_{\text{collateral}} = 0.918$$

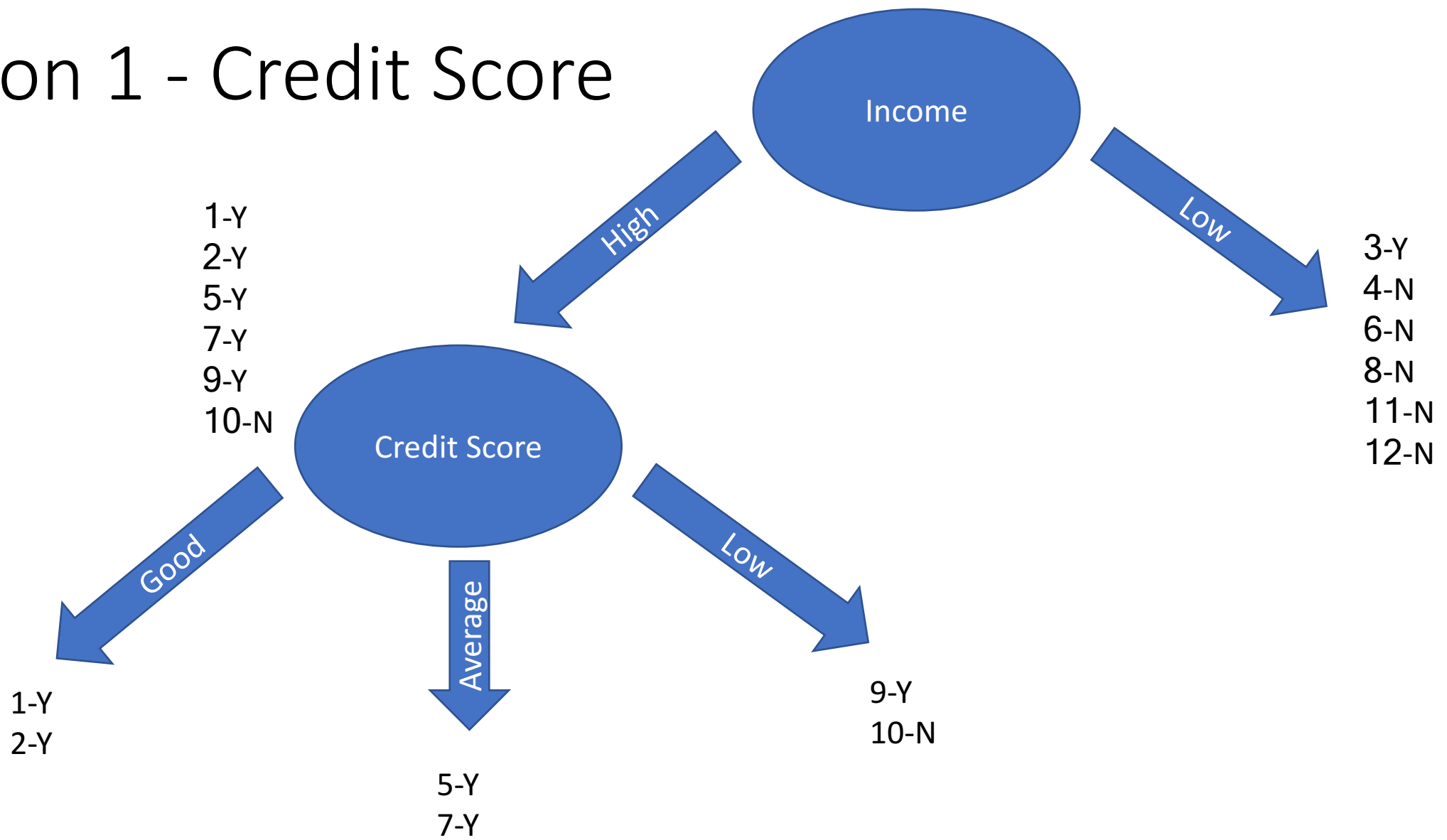
Options

1. Entropy for Credit Score = 0.874
2. Entropy for Income = 0.650
3. Entropy for Collateral = 0.918

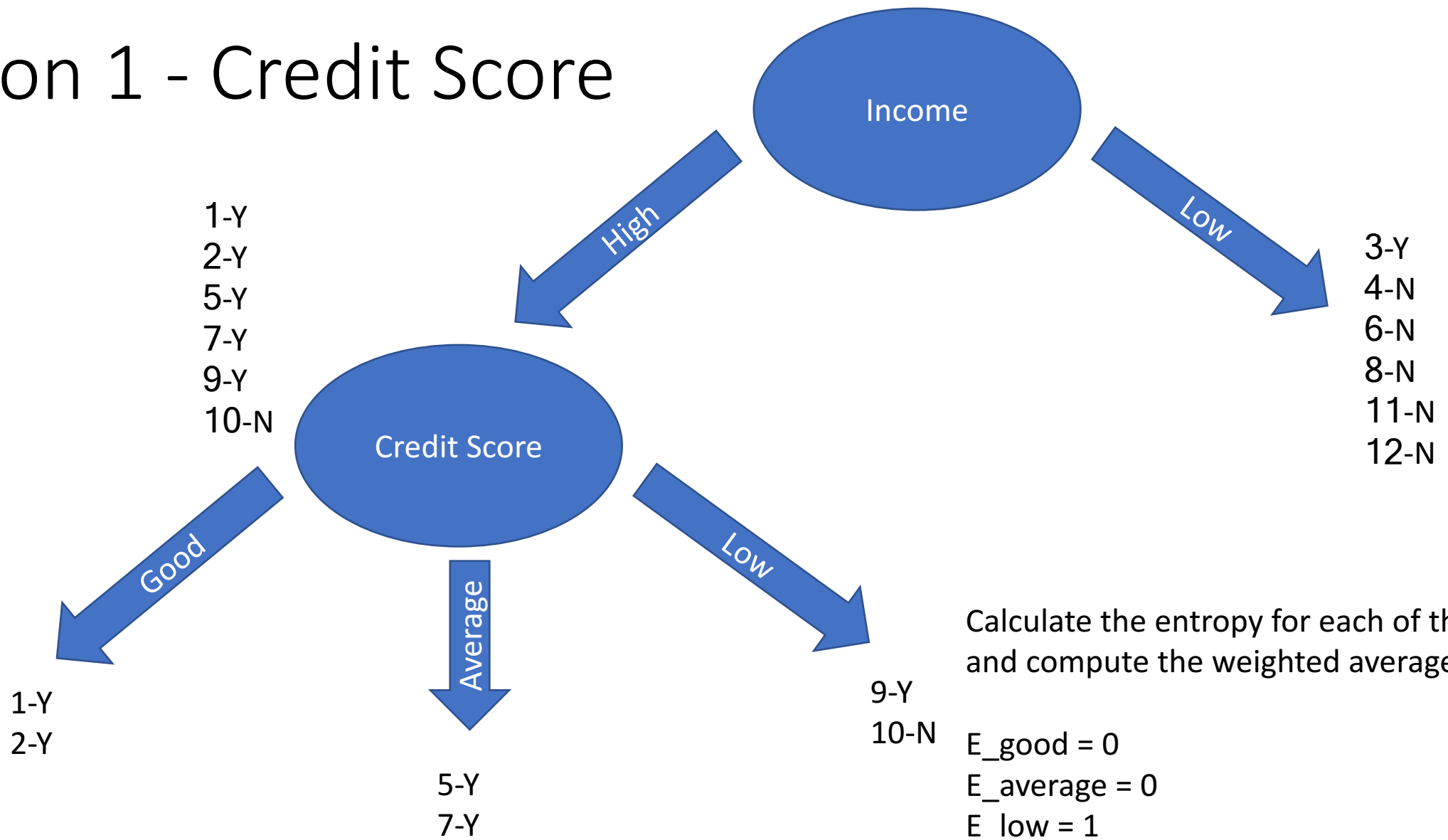
So the lowest Entropy (best Information Gain) is Income!

This means we pick Income as the root node, and work on the branches beneath it, starting with the left branch.

Option 1 - Credit Score



Option 1 - Credit Score



Calculate the entropy for each of these, and compute the weighted average:

$$E_{\text{good}} = 0$$

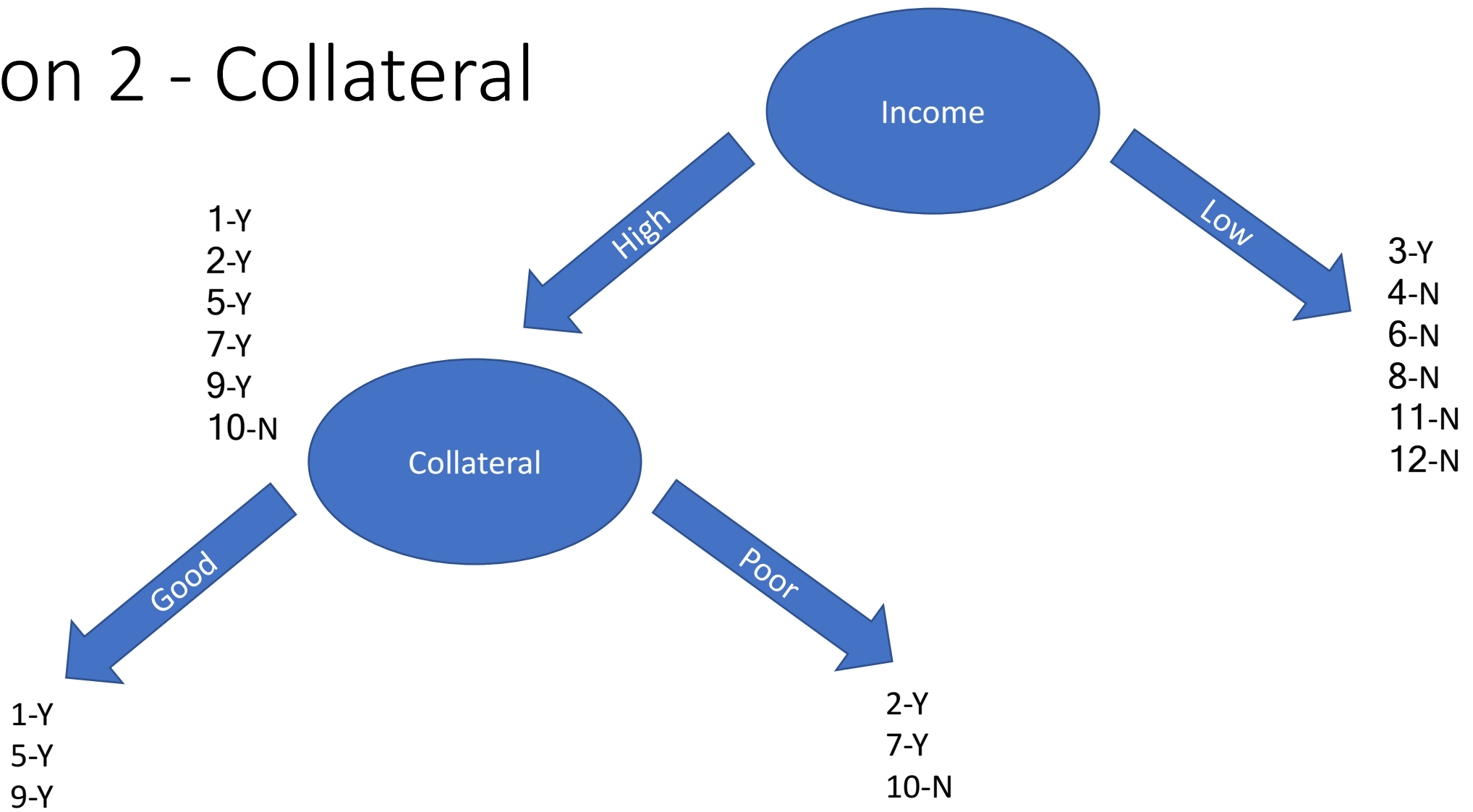
$$E_{\text{average}} = 0$$

$$E_{\text{low}} = 1$$

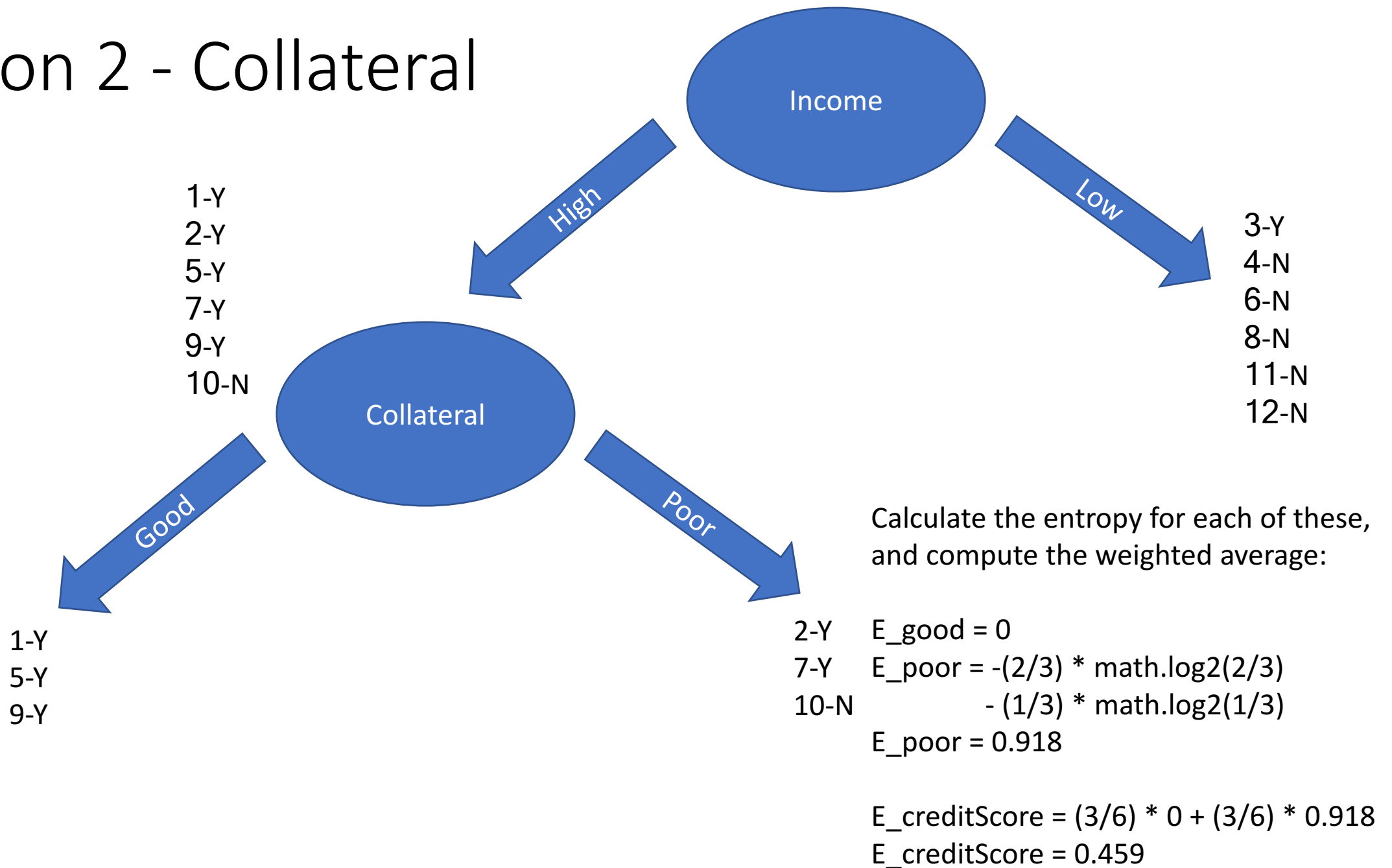
$$E_{\text{creditScore}} = (2/6) * 0 + (2/6) * 0 + (2/6) * 1$$

$$E_{\text{creditScore}} = 0.333$$

Option 2 - Collateral



Option 2 - Collateral



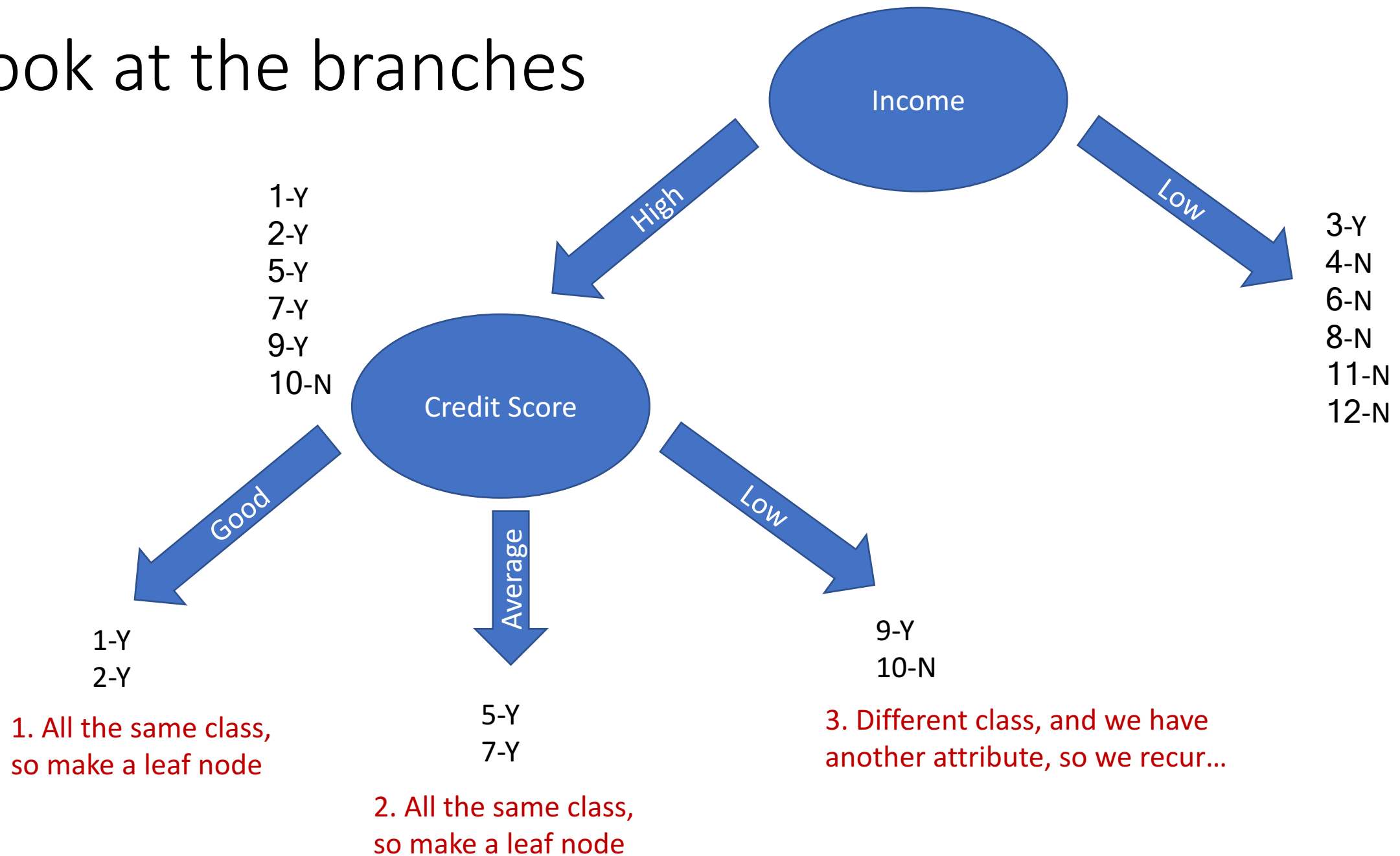
Options

1. Entropy for Income = 0.333
2. Entropy for Collateral = 0.459

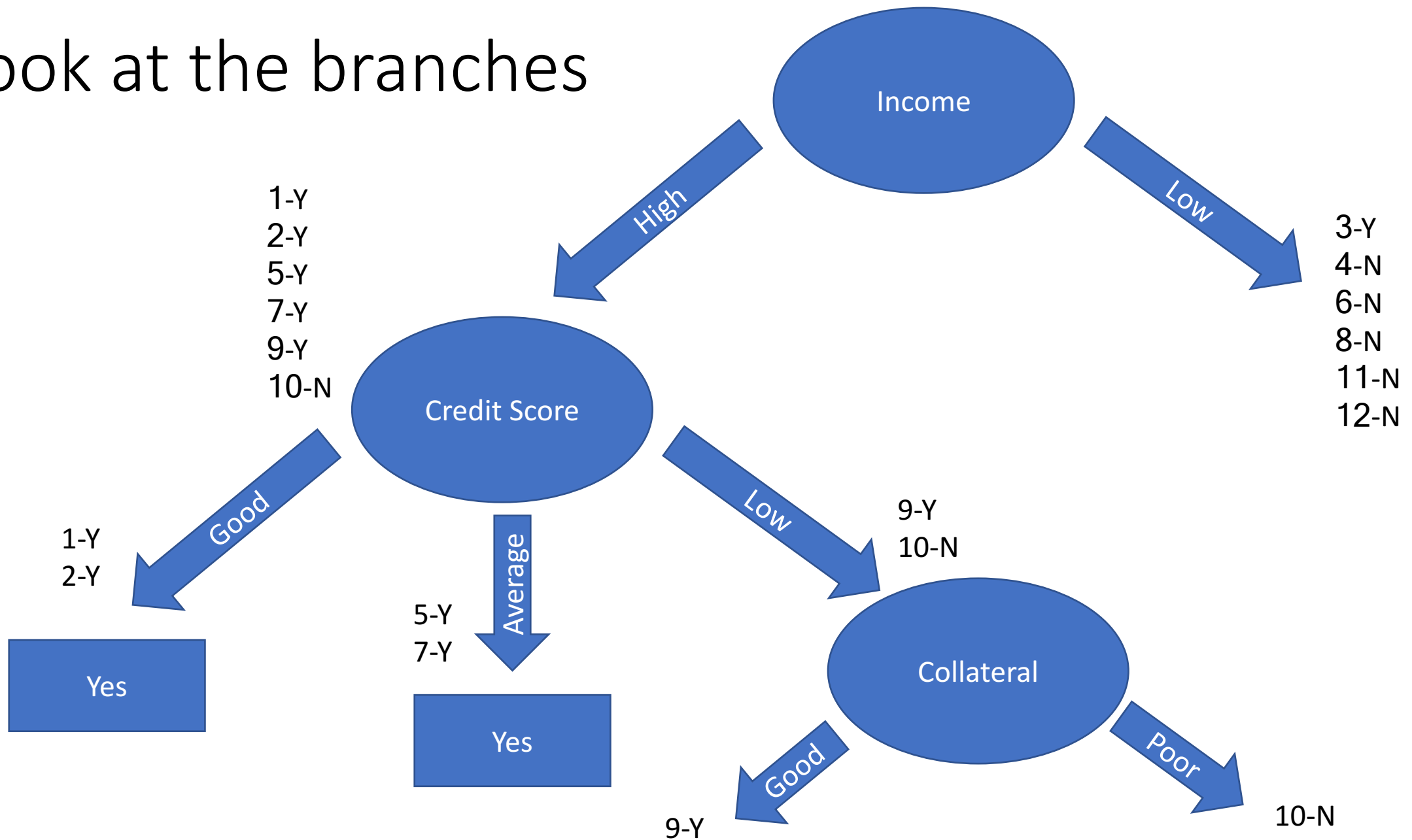
So the lowest Entropy (best Information Gain) is: Income!

So we select this and work down its branches.

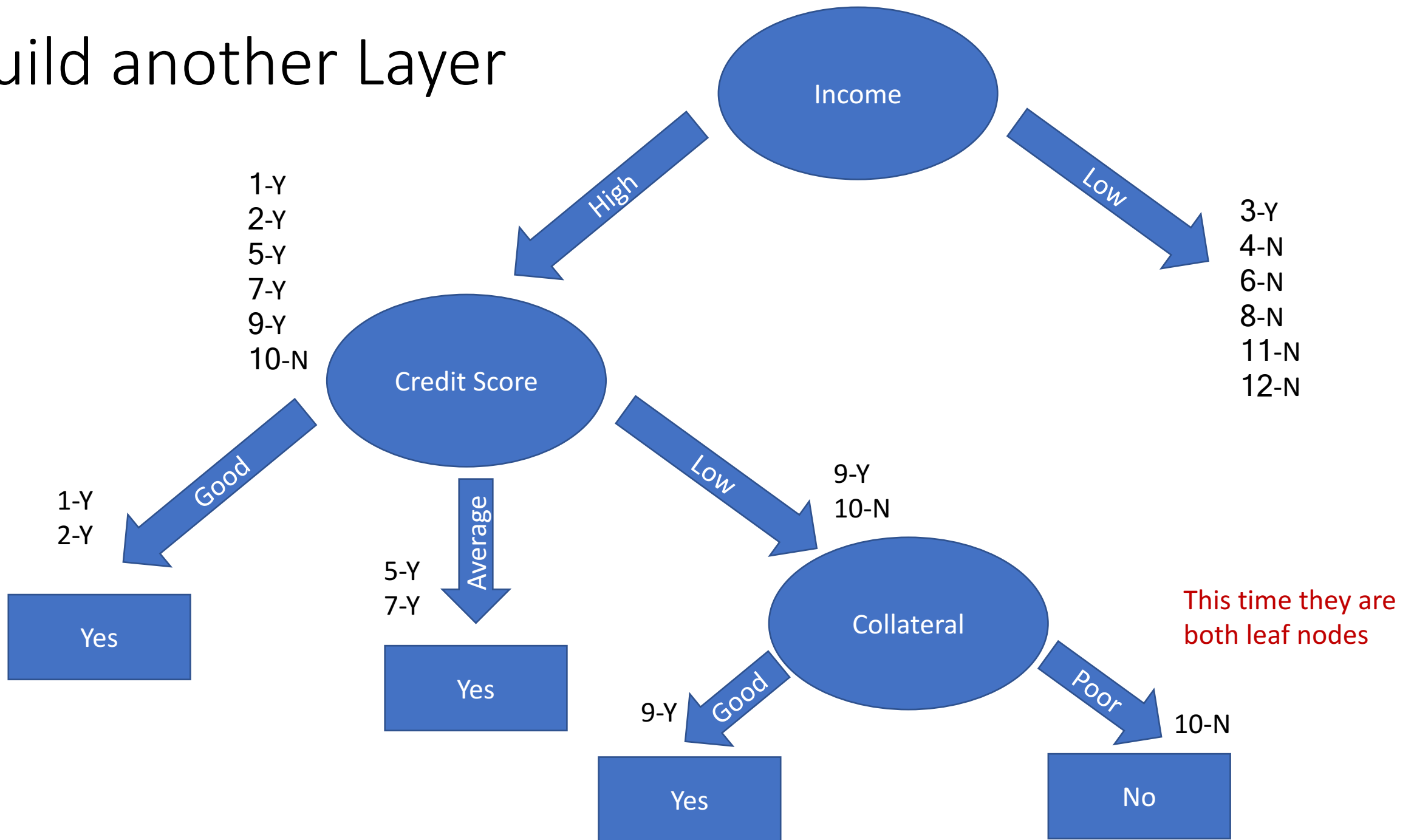
Look at the branches



Look at the branches



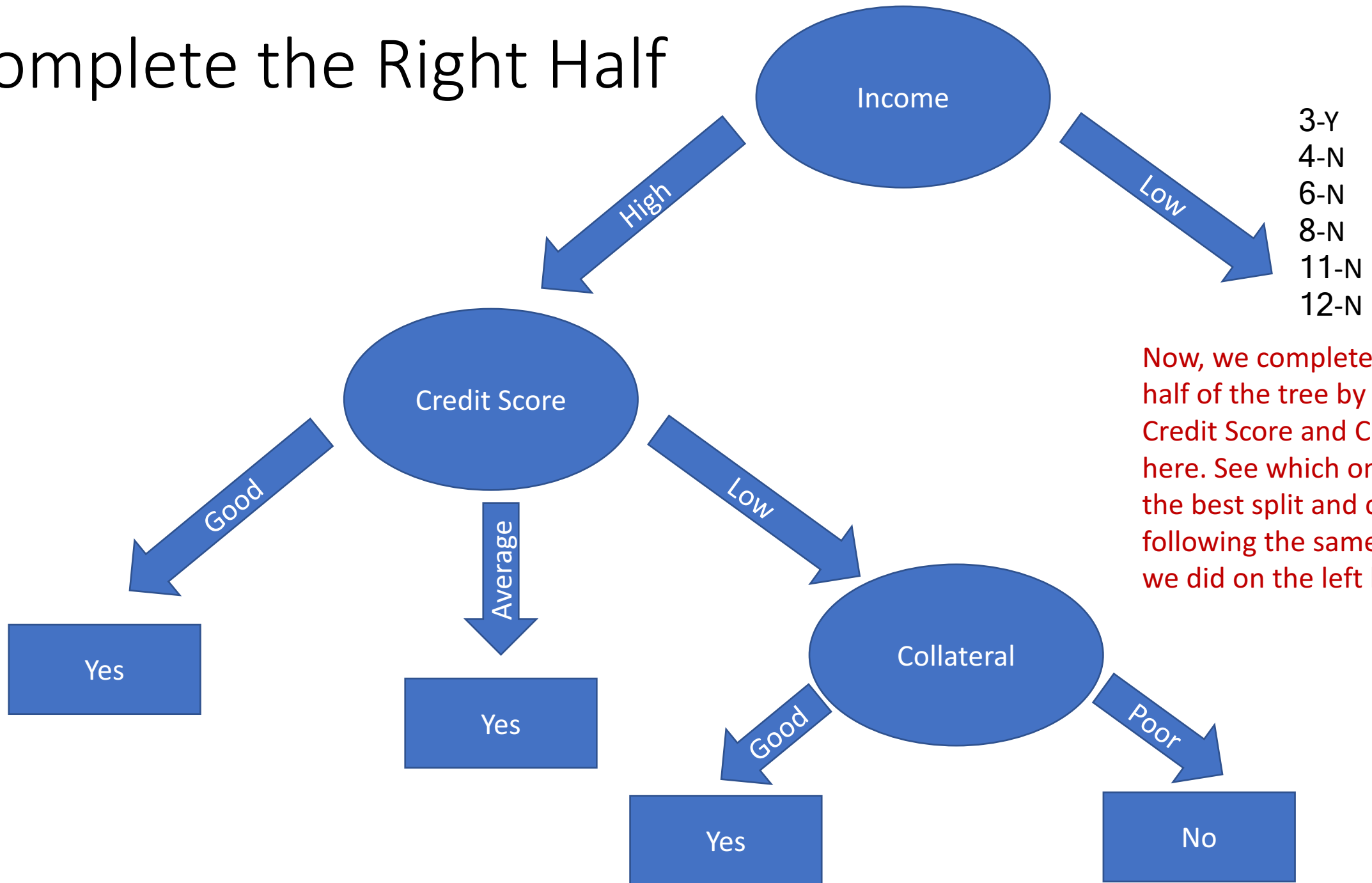
Build another Layer



Keep Building

Now we have completed the left half of the tree. We repeat the process for the right half of the tree.

Complete the Right Half



Now, we complete the right half of the tree by checking Credit Score and Collateral here. See which one causes the best split and choose it, following the same process we did on the left half.

Complete the Process

Please complete this process with your team.